1. In the following problems, draw a three-circle Venn diagram and label the circles $R$, $S$, and $T$. Shade the portion of the diagram corresponding to the given set.
(a) 1 point $R \cup S^{\prime} \cup T^{\prime}$
(b) 1 point $R^{\prime} \cap(S \cup T)$
2. Suppose a coin is tossed six times and the outcome is recorded as a sequence of H's and T's. For example, two possible outcomes include $(T, H, H, H, H, H)$ and $(H, T, H, H, H, T)$.
(a) 1 point How many outcomes are possible?
(b) 1 point How many outcomes have exactly four heads?
(c) 1 point In how many outcomes are the first and last tosses identical?
3. Suppose that a certain math club has 24 members, and 8 of the members are women. The members of the club are selecting a group of three students to attend a conference.
(a) 1 points In how many ways can the club choose 3 of its 24 members to attend the conference?
(b) 1 points In how many ways can the club choose 3 women to attend the conference?


Figure 1: Use this figure to complete problem 4.
4. Use Figure 1 to answer the following questions. Routes between designated points can use only east steps and north steps.
(a) 1 point How many routes are there from $\mathbf{a}$ to $\mathbf{c}$ ?
(b) 1 point How many routes from $\mathbf{a}$ to $\mathbf{c}$ pass through $\mathbf{b}$ ?

